





# pyvisgen: A fully-differential visibility generator in Python

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### Reconstruction of radio interferometer data







### Reconstruction of radio interferometer data









### Reconstruction of radio interferometer data









### Machine Learning-based Approaches

- Reconstruction in visibility space → no iterative source cleaning
- Development of neural network architecture
- Need of simulation data for model training
- Implementation of analysis framework: radionets



# [github.com/radionets-project/radionets]





### **Radio Interferometer Measurement Equation**

RIME Formalism:

$$\mathbf{V}_{\mathrm{pq}}(l, m) = \sum_{l,m} \mathbf{E}_{\mathrm{p}}(l,m) \mathbf{K}_{\mathrm{p}}(l,m) \mathbf{B}(l,m) \mathbf{K}_{\mathrm{q}}^{H}(l,m) \mathbf{E}_{\mathrm{q}}^{H}(l,m)$$

Source Distribution: B(l,m)

Phase Delay:

$$\mathbf{K}(l,m) = \exp\left(-2\pi \cdot i \cdot (ul + vm)\right)$$

### Telescope Beam:

$$\mathbf{E}(l,m) = \operatorname{jinc}\left(\frac{2\pi}{\lambda_{obs}}d \cdot \theta_{lm}\right)$$
$$\operatorname{jinc}(x) = \frac{J_1(x)}{x}$$

### Source Distribution:



## [Smirnov, A&A, 2021]





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Phase Delay: Specific intensity / a.u. 0.0 -1.0-0.50.5 1.0 0 20 40 y / m 60 80 100 120 50 100 0

[Smirnov, A&A, 2021]





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# Telescope Beam:

[Smirnov, A&A, 2021]



### pyvisgen

- Visibility simulator in Python
- Describe basic corruption effects
- Modular extensible
- Mimicking of radio interferometer observations:
  - Creation of machine learning data sets
  - Comparison betwenn observation and models
  - Estimate sensitivity of upcoming observation / interferometer layouts



# [github.com/radionets-project/pyvisgen]



### Why fully-differential?

GPU support

- Huge speed-ups: single CPU / single GPU calculation for one snapshot
- Forward modeling: implementation into deep learning architectures

	<b>(128 × 128)</b> px	<b>(512 × 512)</b> px
GPU	<b>3</b> ms	<b>50</b> ms
CPU	<b>250</b> ms	3210 ms





### Analysis Overview





### Deep Learning-based Imaging

- Reconstruction of missing visibility data in Fourier space
- Deep learning model influenced by super-resolution applications
- Fast reconstruction times without iterative cleaning
- Initial publication Schmidt et al. (2022, A&A 664 A134)





### 2023 Updates

- Improved results in Geyer et al. (2023, A&A 677 A167)
- Extensive testing on simulation data
- Verify deep learning-based approach
- Reconstruction of complex source morphologies







### 2023 Updates







### **Future Prospects**

### Currently implementing:

- 🖕 Larger image sizes
- Simulation and training speed-ups
- Capability for real observation data
- Data ↔ simulation offsets
- High-resolution source images
- Accelaration of existing imaging pipelines



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